

Time-Bounded Sequential Parameter Optimization

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Automated Parameter Optimization

Most algorithms have parameters

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Automatically find good instantiation of parameters

- ▶ Eliminate most tedious part of algorithm design and end use
- ▶ Save development time & improve performance

Parameter Optimization Methods

- ▶ Lots of work on numerical parameters, e.g.
 - *CALIBRA* [Adenso-Diaz & Laguna, '06]
 - Population-based, e.g. *CMA-ES* [Hansen et al, '95-present]

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- ▶ Categorical parameters
 - Racing algorithms, *F-Race* [Birattari et al., '02-present]
 - Iterated Local Search, *ParamILS* [Hutter et al., AAAI '07 & JAIR'09]

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 - Iterated Local Search, *ParamILS* [Hutter et al., AAAI '07 & JAIR'09]
- ▶ Success of parameter optimization
 - Many parameters (e.g., CPLEX with 63 parameters)
 - Large speedups (sometimes orders of magnitude!)
 - For many problems: SAT, MIP, time-tabling, protein folding, ...

Limitations of Model-Free Parameter Optimization

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 - Which parameters interact?
 - For which types of instances is a parameter setting good?
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Response surface models can help

- ▶ Predictive models of algorithm performance with given parameter settings

Sequential Parameter Optimization (SPO)

- ▶ Original SPO [Bartz-Beielstein et al., '05-present]
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 - Categorical parameters
 - Multiple benchmark instances
 - Very promising results for both

Outline

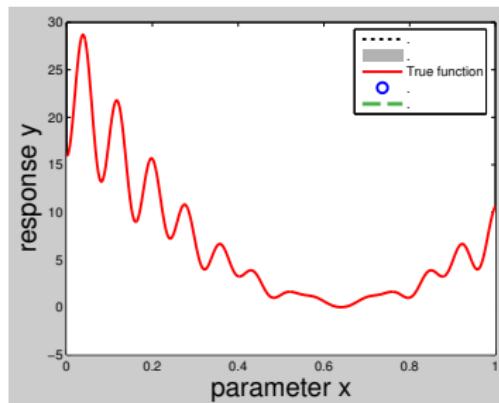
1. Sequential Model-Based Optimization
2. Reducing the Computational Overhead Due To Models
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Sequential Model-Based Optimization (SMBO)

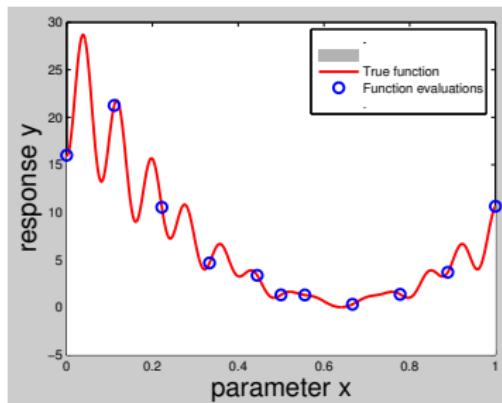
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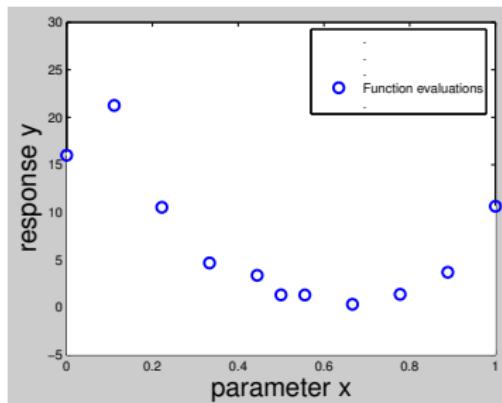
0. Run algorithm with initial parameter settings



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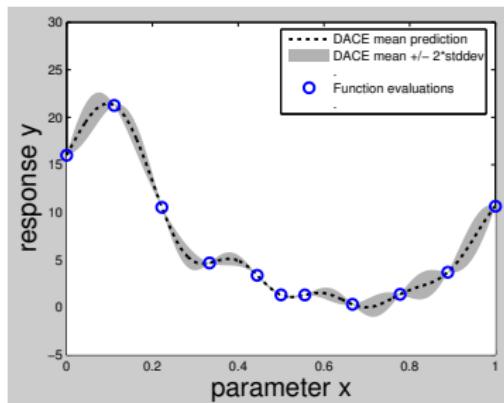
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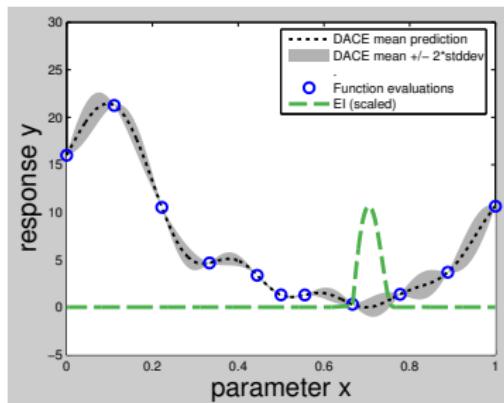
0. Run algorithm with initial parameter settings
1. Fit a model to the data



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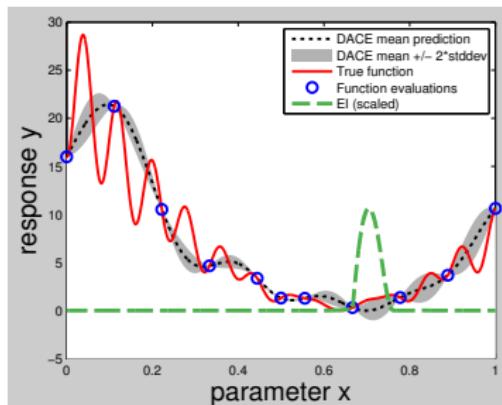
0. Run algorithm with initial parameter settings
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2. Use model to pick promising parameter setting



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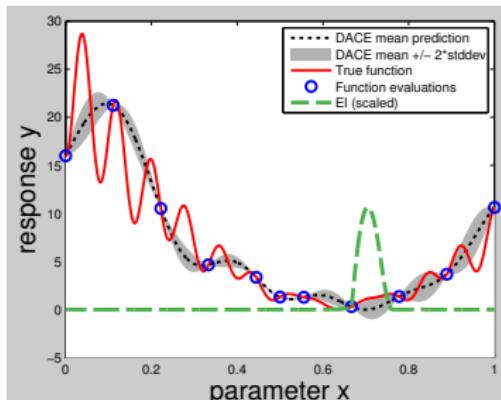
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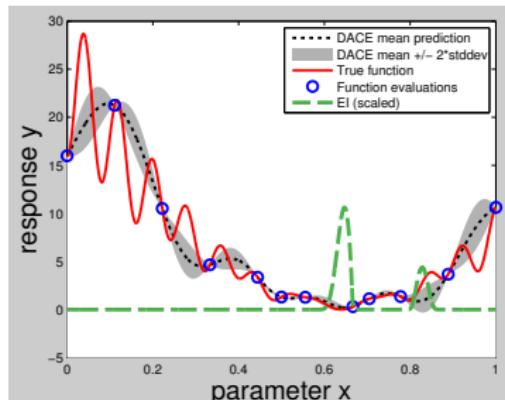
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- Repeat 1-3 until time is up



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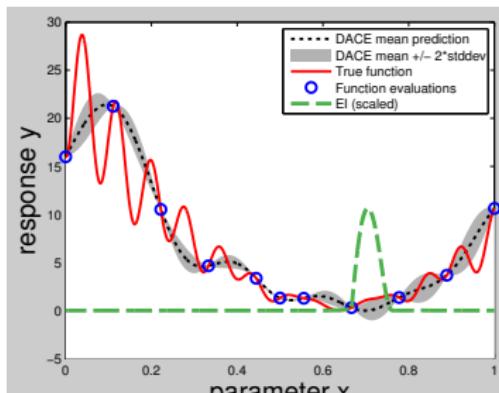


Second step

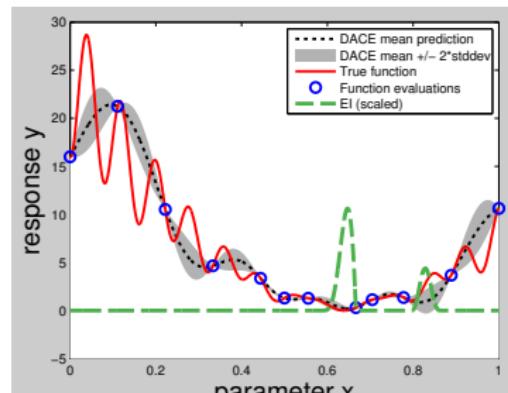
Computational Overhead due to Models: Example

Example times

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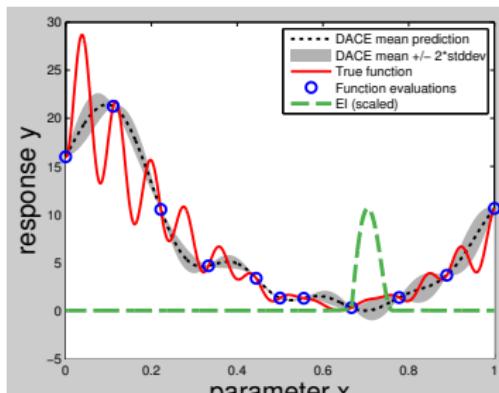


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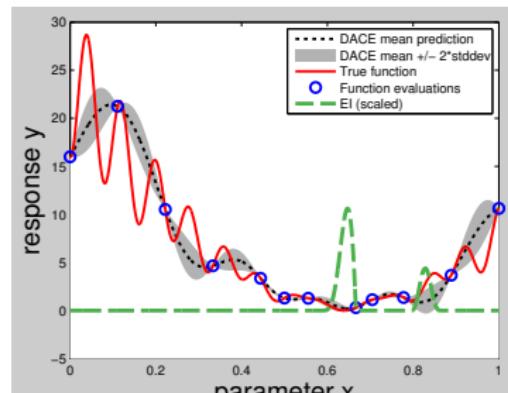
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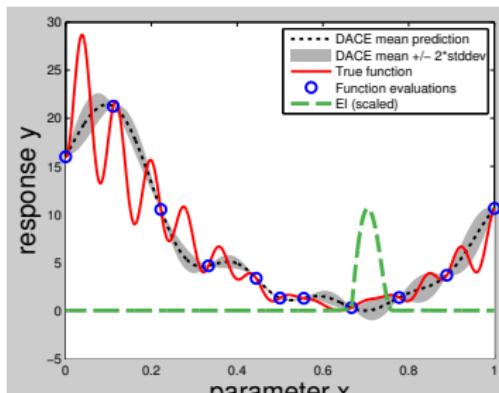


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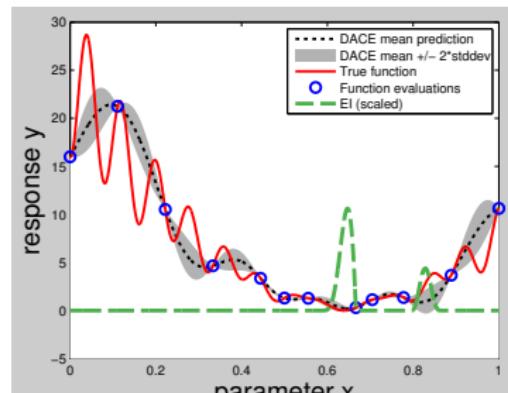
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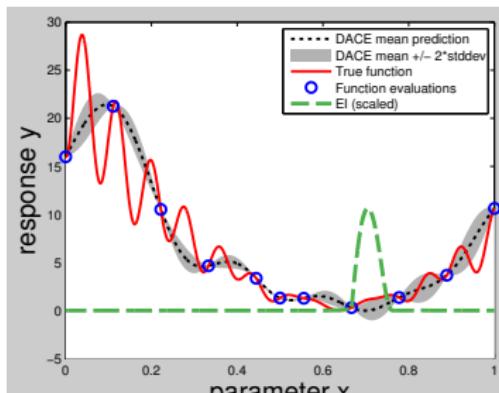


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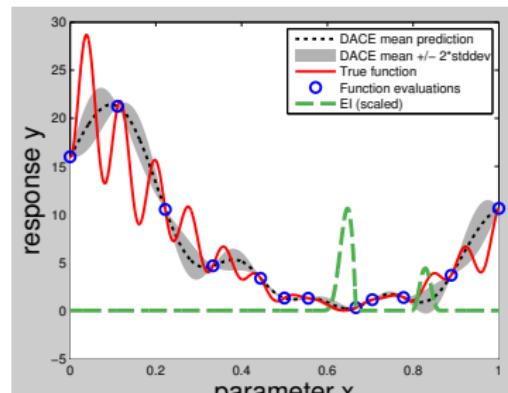
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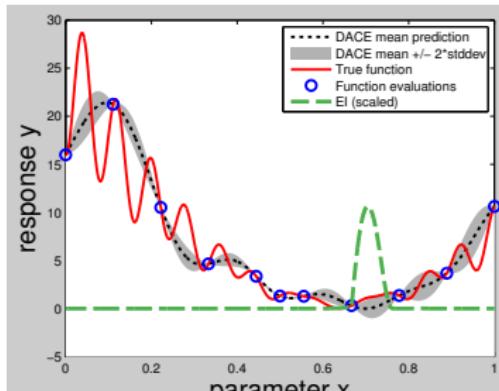


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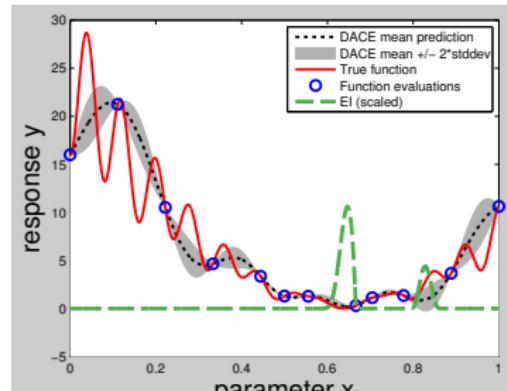
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Removing the costly initial design (phase 0)

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- ▶ How to choose number of param. settings in initial design?
 - ▶ Too large: take too long to evaluate all of the settings
 - ▶ Too small: poor first model, might not recover
- ▶ Our solution: simply drop the initial design
 - ▶ Instead: interleave random settings during the search
 - ▶ Much better anytime performance

Overhead due to Models

Central SMBO algorithm loop

- ▶ Repeat: Example times
 1. Fit model using performance data gathered so far 50s
 2. Use model to select promising parameter setting 20s
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- ↝ Only small fraction of time spent actually running algorithms

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Solution 1

- ▶ Do more algorithm runs to bound model overhead
 - Select not one but many promising points (little overhead)
 - Perform runs for at least as long as phases 1 and 2 took

Which Setting to Perform How Many Runs for

Heuristic Mechanism

- ▶ Compare one configuration θ at a time to the incumbent θ_{inc}

- ▶ Stop once time bound is reached

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 - Nice side effect: additional runs on good random settings
- ▶ “Strawman” algorithm: TB-Random
 - Only use random settings
 - Compare one param. setting at a time to incumbent

Experimental validation: setup

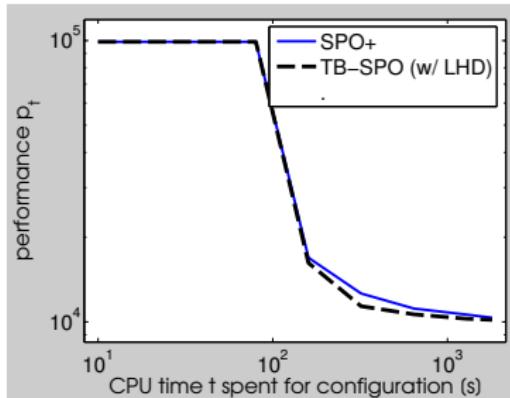
- ▶ Optimizing SLS algorithm SAPS
 - Prominent SAT solver with 4 continuous parameters
 - Previously used to evaluate parameter optimization approaches

Experimental validation: setup

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 - Prominent SAT solver with 4 continuous parameters
 - Previously used to evaluate parameter optimization approaches
- ▶ Seven different SAT instances
 - 1 Quasigroups with holes (QWH) instance used previously
 - 3 instances from Quasigroup completion (QCP)
 - 3 instances from Graph colouring based on smallworld graphs (SWGCP)

Experimental validation: results

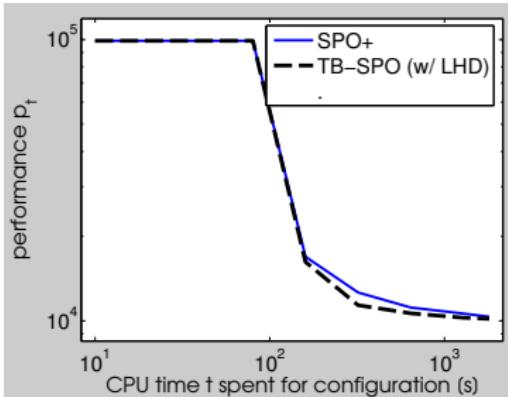
SAPS-QWH instance



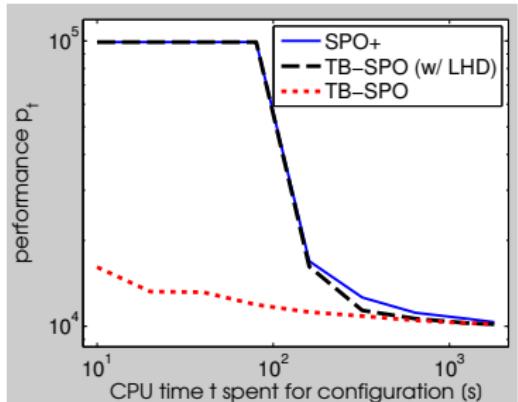
Both methods with same LHD

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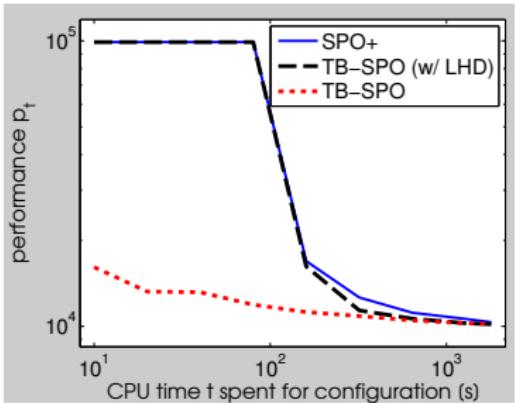
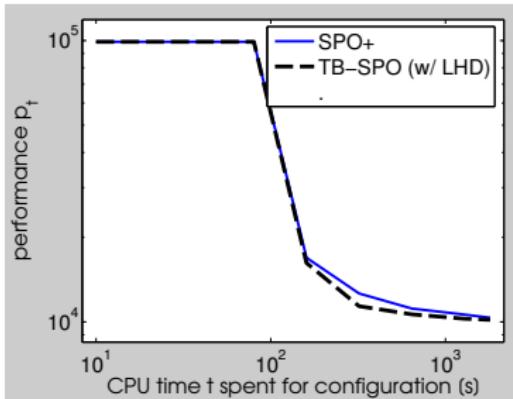
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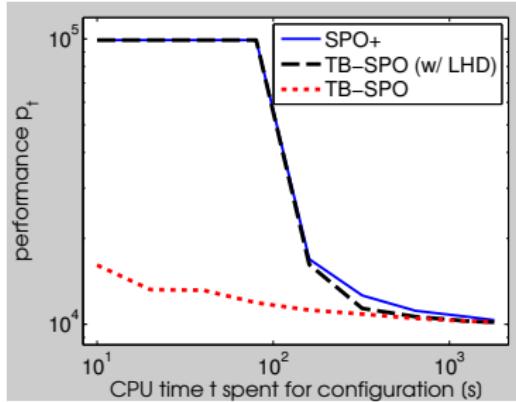
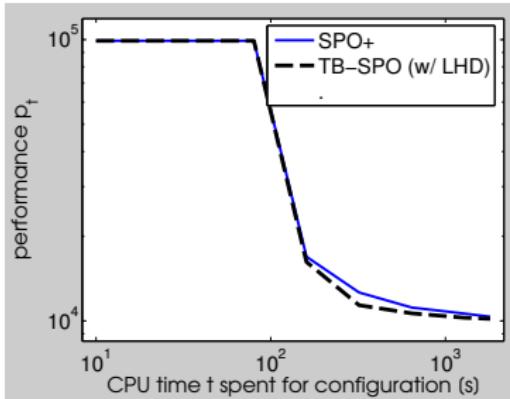
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Scenario	SPO ⁺	TB-SPO	p_{val}
SAPS-QCP-MED [$\cdot 10^{-2}$]	4.50 ± 0.31	4.32 ± 0.21	$4 \cdot 10^{-3}$
SAPS-QCP-Q075	3.77 ± 9.72	0.19 ± 0.02	$2 \cdot 10^{-6}$
SAPS-QCP-Q095	49.91 ± 0.00	2.20 ± 1.17	$1 \cdot 10^{-10}$
SAPS-QWH [$\cdot 10^3$]	10.7 ± 0.76	10.1 ± 0.58	$6 \cdot 10^{-3}$
SAPS-SWGCP-MED	49.95 ± 0.00	0.18 ± 0.03	$1 \cdot 10^{-10}$
SAPS-SWGCP-q075	50 ± 0	0.24 ± 0.04	$1 \cdot 10^{-10}$
SAPS-SWGCP-q095	50 ± 0	0.25 ± 0.05	$1 \cdot 10^{-10}$

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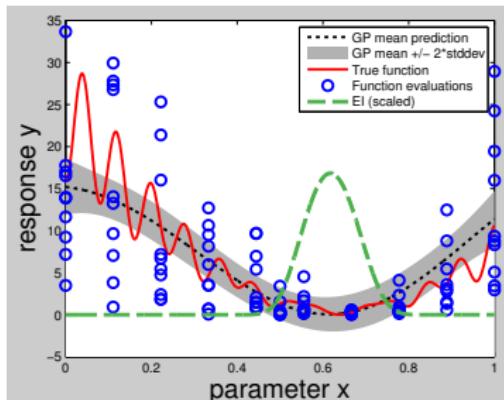
Scenario	SPO ⁺	TB-SPO	TB-RANDOM	pval1	pval2
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SAPS-QWH [$\cdot 10^3$]	10.7 ± 0.76	10.1 ± 0.58	9.88 ± 0.41	$6 \cdot 10^{-3}$	0.14
SAPS-SWGCP-MED	49.95 ± 0.00	0.18 ± 0.03	0.17 ± 0.02	$1 \cdot 10^{-10}$	0.37
SAPS-SWGCP-q075	50 ± 0	0.24 ± 0.04	0.22 ± 0.03	$1 \cdot 10^{-10}$	0.08
SAPS-SWGCP-q095	50 ± 0	0.25 ± 0.05	0.28 ± 0.10	$1 \cdot 10^{-10}$	0.89

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2 Different GP Models for Noisy Optimization

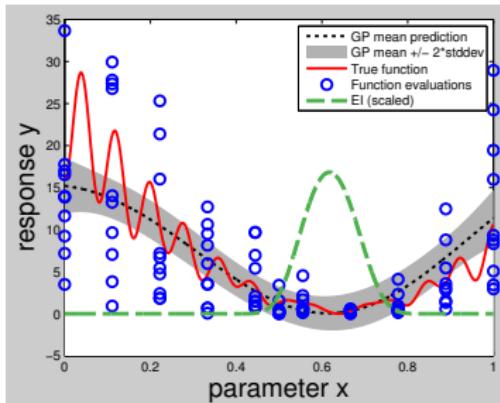
- ▶ Model I
 - Fit standard GP assuming Gaussian observation noise



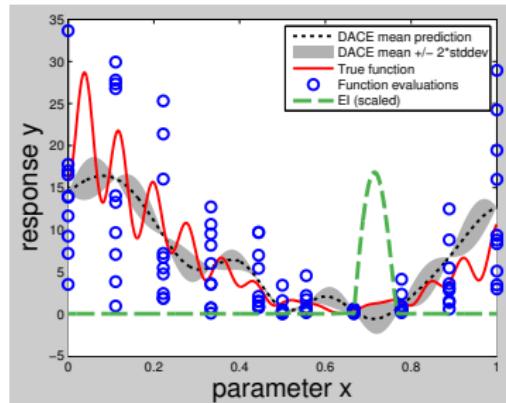
Model I: noisy fit of original response

2 Different GP Models for Noisy Optimization

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 - Compute empirical mean of responses at each param. setting
 - Fit noise-free GP to those means



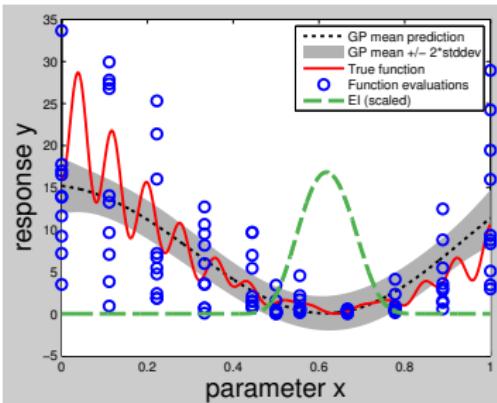
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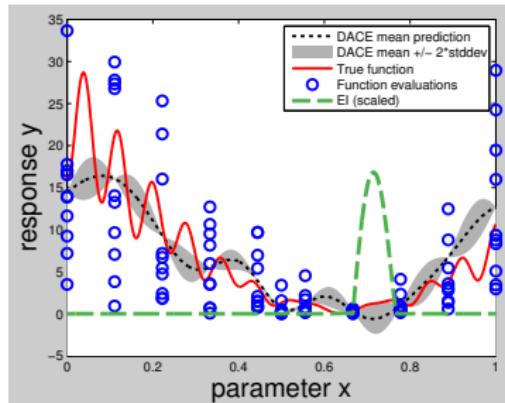
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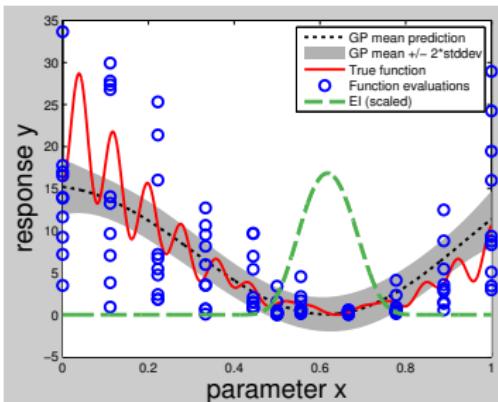
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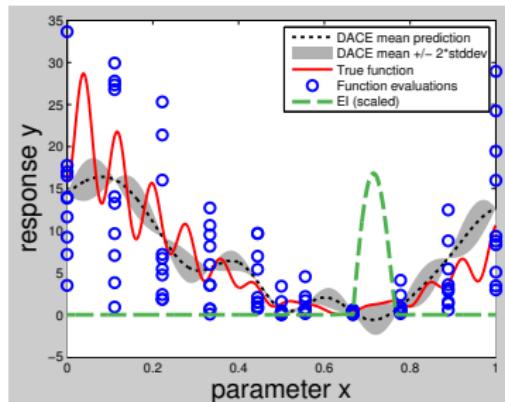
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 - Fit noise-free GP to those means
 - But assumes empirical means are perfect (even when based on just 1 run!)
 - Cheaper (here 11 means vs 110 raw data points)



Model I: noisy fit of original response



Model II: noise-free fit of empir. means

How much faster is the approximate Gaussian Process?

Complexity of Gaussian process regression (GPR)

- ▶ n data points
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Complexity of projected process (PP) approximation

- ▶ Active set of p data points ↝ only invert $p \times p$ matrix
- ▶ Throughout: use $p = 300$

How much faster is the approximate Gaussian Process?

Complexity of Gaussian process regression (GPR)

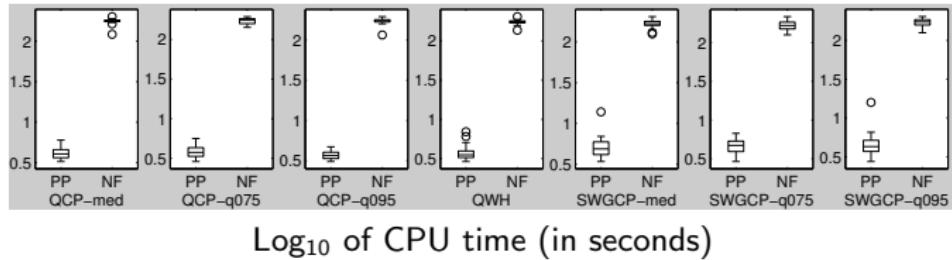
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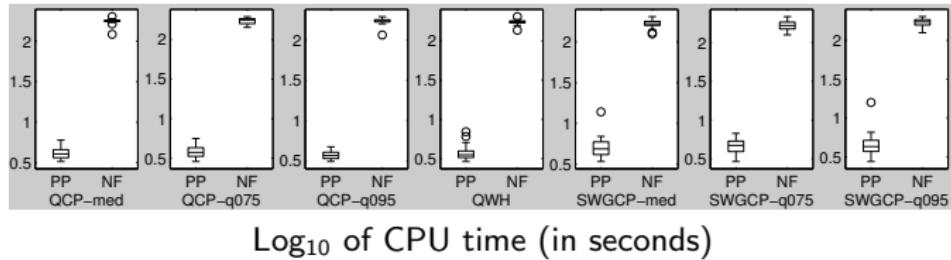
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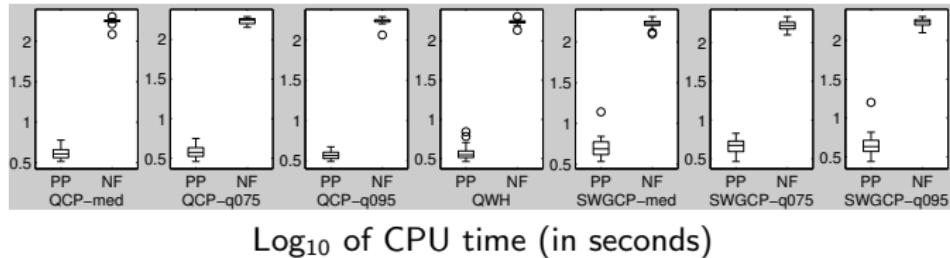


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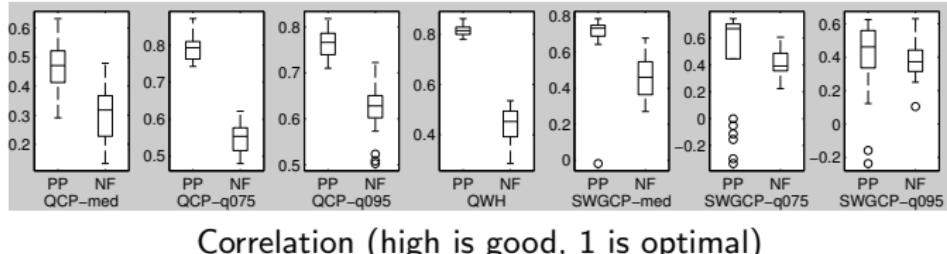
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Scenario	TB-RANDOM	TB-SPO	TB-SPO(PP)	FOCUSEDILS
SAPS-QCP-MED [$\cdot 10^{-2}$]	4.23 ± 0.15	4.32 ± 0.21	4.13 ± 0.14	5.12 ± 0.41
SAPS-QCP-q075	0.19 ± 0.01	0.19 ± 0.02	0.18 ± 0.01	0.24 ± 0.02
SAPS-QCP-q095	2.64 ± 1.24	2.20 ± 1.17	1.44 ± 0.53	2.99 ± 3.20
SAPS-QWH [$\cdot 10^3$]	9.88 ± 0.41	10.1 ± 0.58	9.42 ± 0.32	10.6 ± 0.49
SAPS-SWGCP-MED	0.17 ± 0.02	0.18 ± 0.03	0.16 ± 0.02	0.27 ± 0.12
SAPS-SWGCP-q075	0.22 ± 0.03	0.24 ± 0.04	0.21 ± 0.02	0.35 ± 0.08
SAPS-SWGCP-q095	0.28 ± 0.10	0.25 ± 0.05	0.23 ± 0.05	0.37 ± 0.16

- ▶ TB-SPO(PP) best on all 7 instances
- ▶ Good models **do** help

Outline

1. Sequential Model-Based Optimization
2. Reducing the Computational Overhead Due To Models
3. Conclusions

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- ▶ Clearly outperforms previous SPO versions and ParamILS

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- ▶ Per-instance approaches
 - Build joint model of instance features and parameters
 - Given a new unseen instance:
 - + Compute instance features (fast)
 - + Use parameter setting predicted to be best for those features